



中国科学院 华南植物园

South China Botanical Garden, Chinese Academy of Sciences

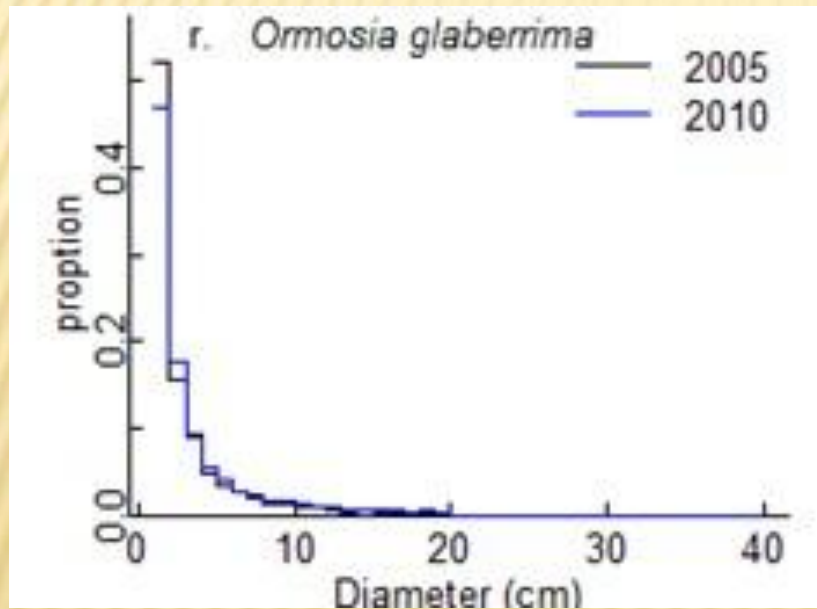
TREE SIZE DISTRIBUTIONS, POPULATION TRENDS AND SHADE TOLERANCE

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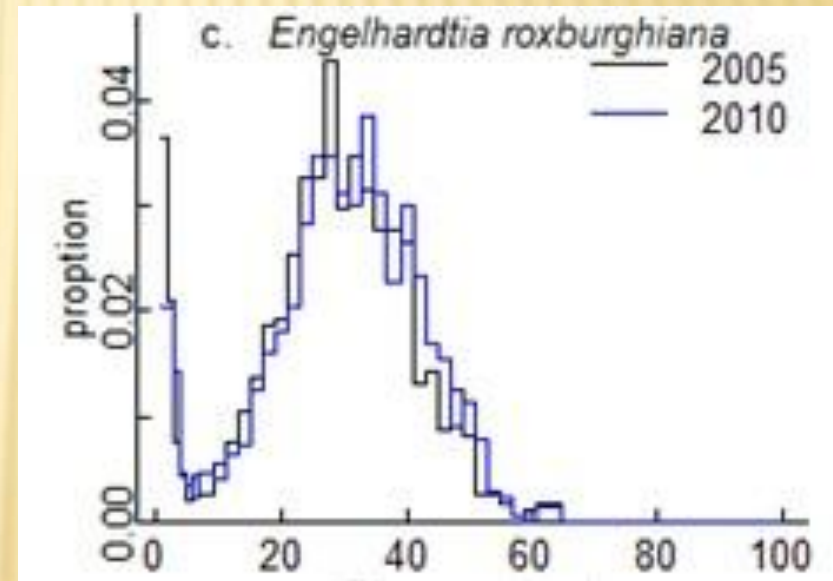
South China Botanical Garden, CAS

(MOST) TREE SIZE DISTRIBUTIONS CAN BE BROADLY CLASSIFIED INTO TWO GROUPS

Reversed J



Unimodal



WHAT EXPLAINS THE SHAPE OF TREE SIZE DISTRIBUTIONS?

Two general types of explanations have been proposed.

1. Population growth/decline:
population increase or stasis → Reversed J
population decline → Unimodal
2. Life history, specifically shade tolerance:
shade tolerant species → Reversed J
light demanding species → Unimodal

(Wright et al. 2003)

MOTIVATION FOR THIS STUDY

Unimodal size distributions are expected to be quite rare in old-growth forests, because declining species and light-demanding species are expected to be rare.

But in the forest at our study site, Dinghushan, a substantial minority of species show strongly unimodal size distributions.

What explains the unimodal size distributions at this site?

Specific aims:

1. To test for an association between size distribution and population growth.
2. To investigate the relationships of size distributions with life history and shade tolerance.

STUDY SITE: DINGHUSHAN FOREST DYNAMICS PLOT



Climate: subtropical monsoon

Mean temperature: 20.9°C

Mean annual precipitation: 1929 mm

Vegetation type: Monsoon evergreen
broadleaved forest

Forest age since last disturbance: 400 years

Plot area: 20 ha

Census dates: 2005 and 2010.

Census methods: All trees with diameter
 ≥ 1 cm are tagged, mapped, measured,
and identified to species.

STUDY SPECIES

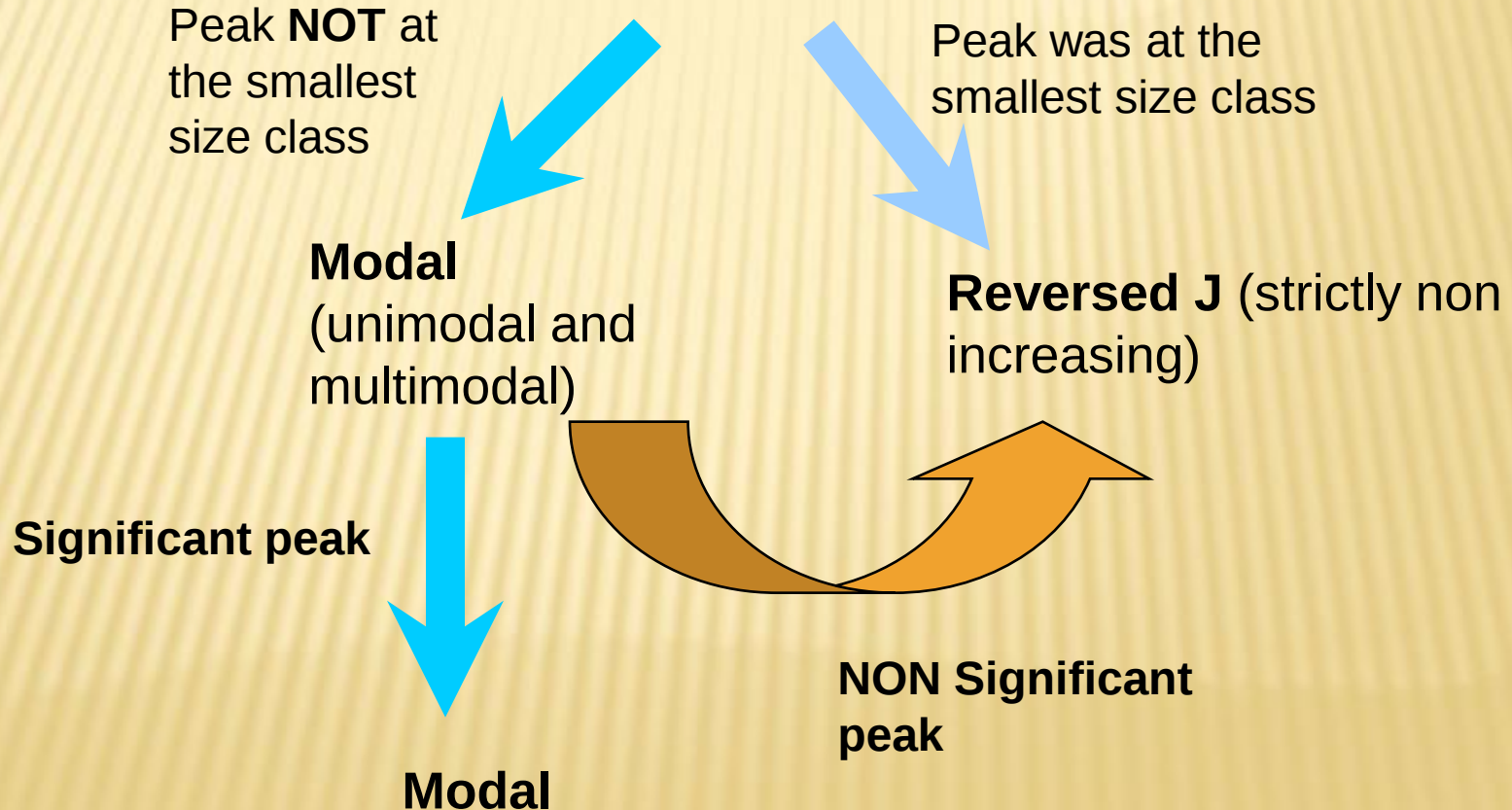
The plot hosts 71,617 individuals, 210 species, 119 genera, 56 families.

Focal species:

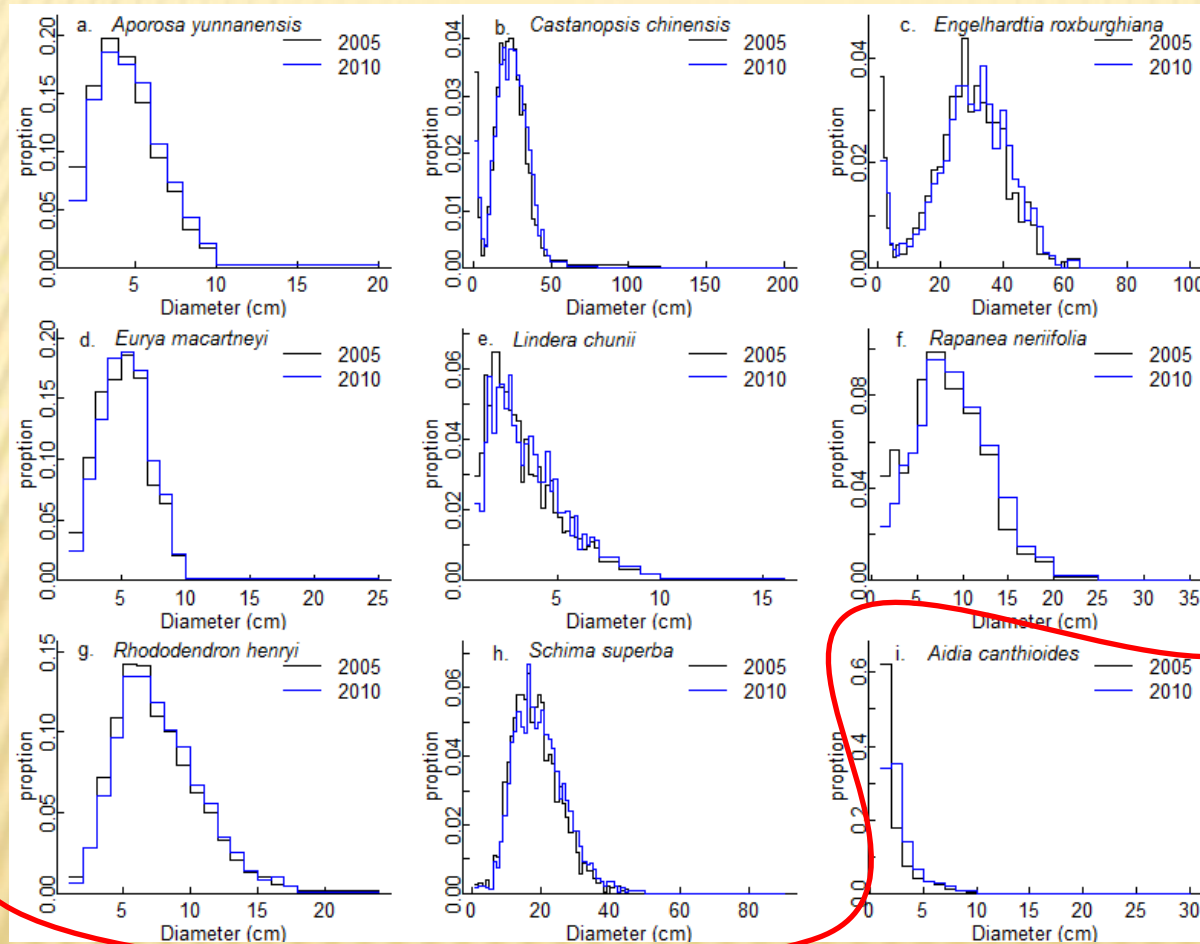
31 species having ≥ 500 individuals.

CLASSIFYING THE SHAPE OF TREE SIZE DISTRIBUTIONS

Our method



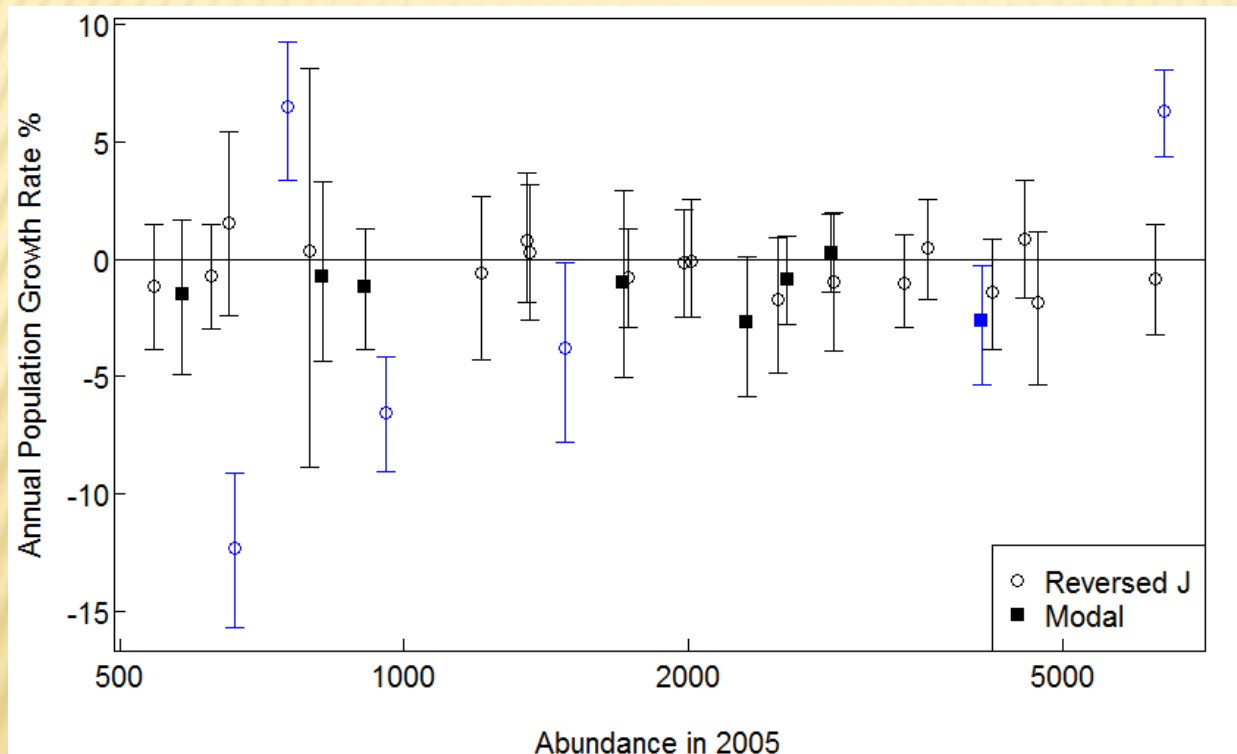
INDIVIDUAL SPECIES SIZE DISTRIBUTIONS



8/31 species
had **unimodal**
distributions in
2005

23/31 species
had **reversed J**
distributions in
2005

WAS THE SHAPE OF THE SIZE DISTRIBUTION RELATED TO **POPULATION GROWTH?**



$$N_t = N_o(1 + \lambda)^{\Delta t}$$

λ = the per capita population growth rate

N_o = initial population size

N_t = the population size at time t (in 2010)

Δt = the time difference (5 years)

NO. Annual population growth rates were NOT significantly different between reversed J and modal species.

(Wilcoxon Rank Sum test, $W = 125$, $p = 0.1448$)

WAS THE SHAPE OF THE SIZE DISTRIBUTION RELATED TO **SHADE TOLERANCE**?

	Modal	Reversed J	
light demanding	1	1	No. of species in each category
intermediate	5	14	
shade tolerant	2	8	

NO significant association between size distribution and shade tolerance.

(X-square = 0.7901, df = 2, p= 0.6737)

WAS THE SHAPE OF THE SIZE DISTRIBUTION RELATED TO MORTALITY RATES?

$$A_t = N_0(1 - m)^{\Delta t}$$

- ✗ m : annual per capita mortality rate
- ✗ A_t : No. of survivor at $t=5$
- ✗ N_0 : No. of Ind. at $t=0$; $\Delta t=5$

No. There was no significant association between the shape of the size distribution and mortality rate.

(Wilcoxon Rank Sum Test $W = 107$, $p = 0.5203$)

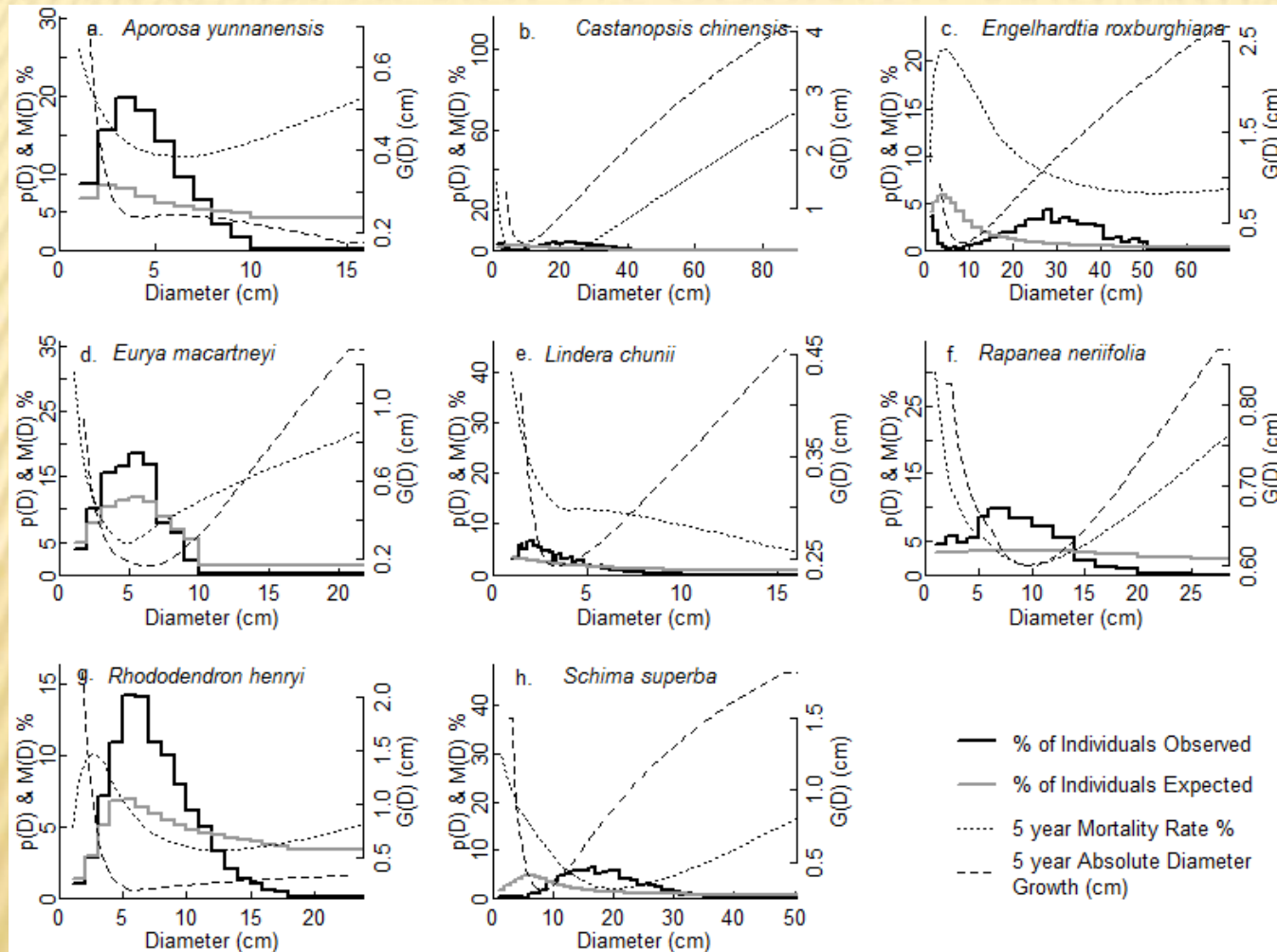
WAS THE SHAPE OF THE SIZE DISTRIBUTION RELATED TO THE **RECRUITMENT RATE**?

$$\lambda = r - m$$

Yes. Modal species had significantly lower recruitment rates than reversed-J species.

(Wilcoxon rank sum test: $W = 149$, $p = 0.00865$)

WAS THE SHAPE OF THE SIZE DISTRIBUTION RELATED TO SIZE-DEPENDENT GROWTH AND MORTALITY?



Dips in mortality and growth curves were also found among reversed J species, but the **co-occurrence** of dips in **both** mortality and absolute growth functions was **rare** among reversed J species (just **4 /23** species).

Size distributions of **2** of these 4 species were modal in 2010.

Yes. We observed that in modal species, the peak in the size distribution tended to correspond with a dip in mortality and a dip in growth.

COMPARING OBSERVED SIZE DISTRIBUTIONS WITH THOSE EXPECTED UNDER DEMOGRAPHIC EQUILIBRIUM

Methods for calculating expected size distributions from size-dependent growth and mortality

At demographic equilibrium

$$p(D) = \frac{R}{NG(D)} \exp \left(\int_{D_0}^D - \frac{M(D')}{G(D')} dD' \right) \quad (\text{Kohyama 1991})$$

R = recruitment rate

N = abundance in the initial census

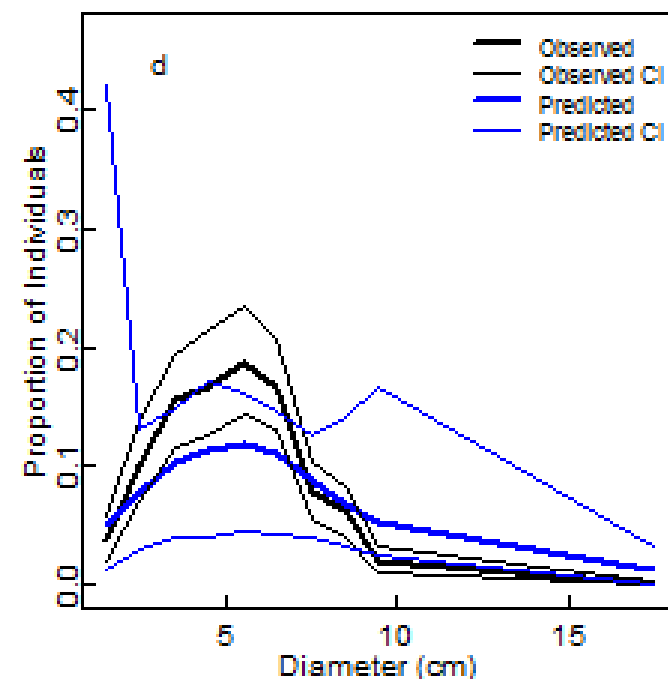
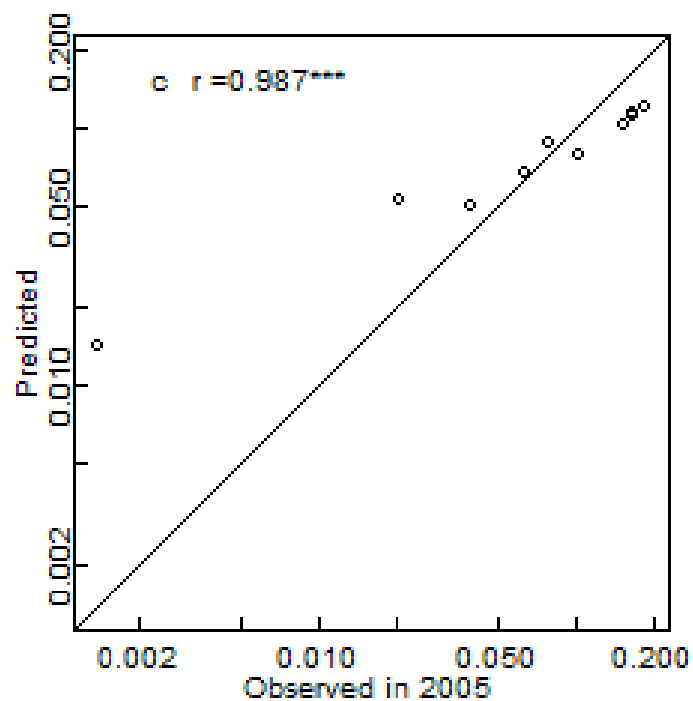
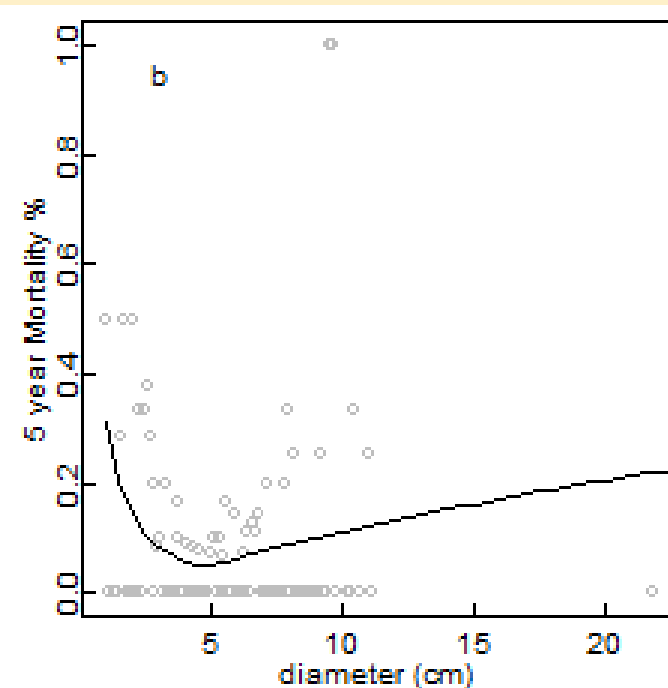
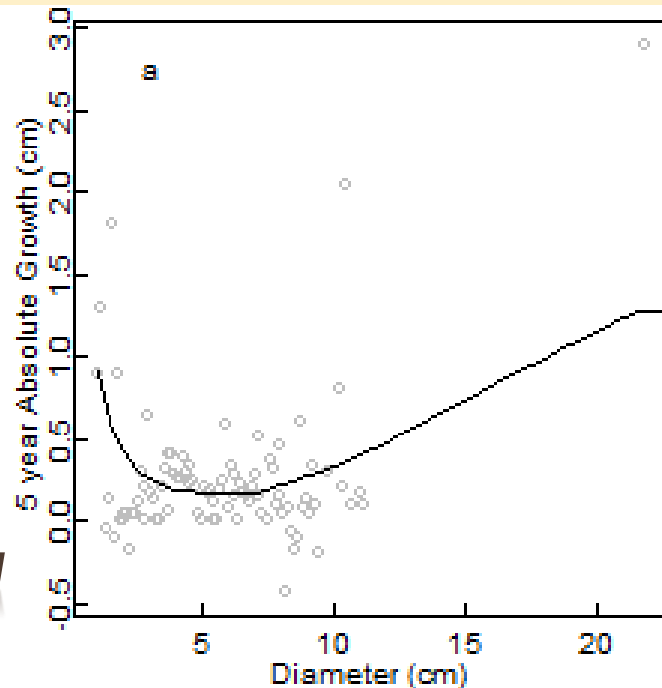
$G(D)$ = absolute diameter growth as a function of diameter

$M(D)$ = mortality as a function of diameter

D_0 = the size of individuals upon recruitment

AN EXAMPLE: *EURYA MACARTNEYI*

黑桫



COMPARING OBSERVED SIZE DISTRIBUTIONS WITH THOSE EXPECTED UNDER DEMOGRAPHIC EQUILIBRIUM

Test 1 – Is the general shape the same?

Of the 8 observed unimodal species

- ✗ 7 were predicted to be unimodal
(4 statistically significantly so)
- ✗ 1 was predicted reversed J

Of the 23 observed reversed J species

- ✗ 18 were predicted reversed J
- ✗ 5 were predicted modal; 3 of these 5 had unimodal size distributions in 2010.

Yes in 25 (or 27) of 31 species.

COMPARING OBSERVED SIZE DISTRIBUTIONS WITH THOSE EXPECTED UNDER DEMOGRAPHIC EQUILIBRIUM

Test 2 – Are size class abundances similar?

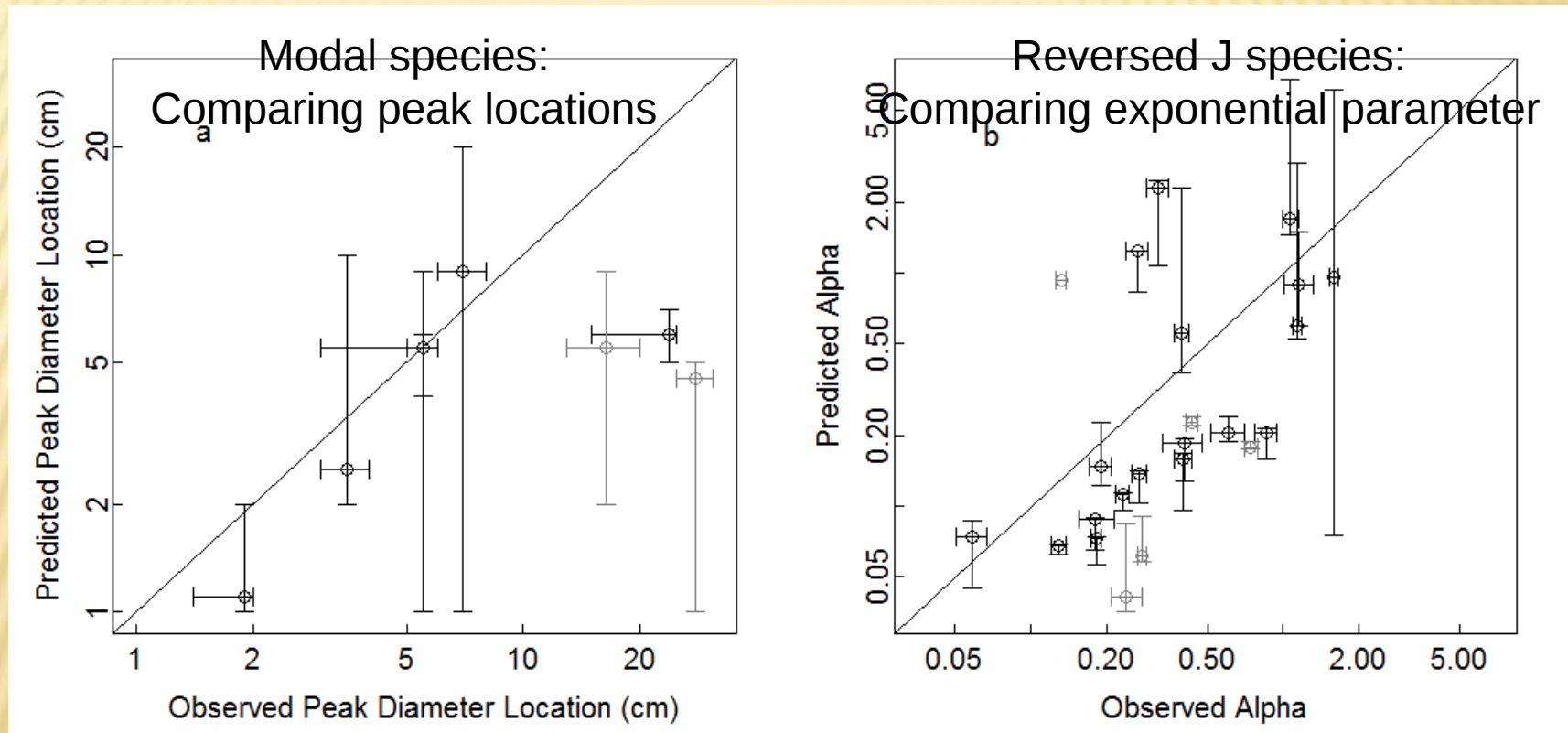
There were strong ($r > 0.5$) and significant ($p < 0.05$) correlations between observed and expected abundances per size class in 24 of 31 species (18 reversed J and 6 modal):.

Observed and expected size distribution had overlapping confidence intervals, i.e. not significantly different, in over 50% of size classes in 12 of 31 species (10 reversed J and 2 modal).

Mixed results.

COMPARING OBSERVED SIZE DISTRIBUTIONS WITH THOSE EXPECTED UNDER DEMOGRAPHIC EQUILIBRIUM

Test 3 – How do shape parameters compare?



$$p(D) = \frac{1}{n} \exp(-\alpha D)$$

They are correlated, but not well-predicted.

THE PREDICTED EQUILIBRIUM SIZE DISTRIBUTIONS ARE FAR FROM CURRENT SIZE DISTRIBUTIONS.

Size distributions (and abundances) may still be changing over time, and far from equilibrium.

CONCLUSIONS

- ✗ At this site, unimodal size distributions are not consistently associated with either population decline or shade-intolerance.
- ✗ Equilibrium size distributions predicted from size-dependent growth ($G(D)$) and size dependent mortality ($M(D)$) match current size distributions in some species but not others.
- ✗ Even though the forest at this site is 400 years old, it is not at equilibrium. Ongoing changes may reflect late succession, and/or responses to environmental change.

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